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# A macroeconomic viewpoint using a structural VAR analysis of silver price behaviour

Forthcoming: Mineral Economics

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#### Abstract

This article investigates silver price as a fluctuating commodity price since the financial crisis of 2007-2009. In this regard, a structural vector autoregression (VAR) was applied to observe the sensitivity of the silver price and future pricing due to changes in macroeconomic variables and to review changes in macroeconomic variables due to changes in the silver price. The main results show that the silver price is susceptible to changes in the gold price, increasing sideways. A shock to OECD GDP caused the silver price to increase which makes logical sense, thus showing a positive correlation between output and the silver price. A shock to the oil price caused the silver price to spike over the short term, then move sideways over the long term. A shock to the US Federal funds rate caused the silver price to dip over the short term, then increase slightly over the medium and move sideways over the long term, while a shock to the real effective exchange rate of the United States caused the silver price to increase sideways. The article sheds some light on the reactive status of the silver price to macroeconomic variables and its influence as a safe haven commodity.

**Keywords:** Silver, Gold; Oil, Commodity prices JEL codes: Q32

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### 1 Introduction

The investment demand for silver as a safe haven and world events such as a financial crisis or worldwide pandemic could have significant influence on the current silver price.

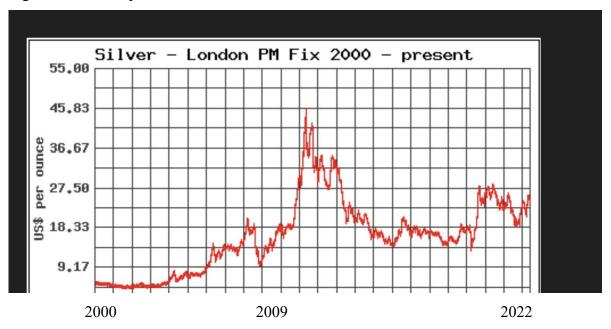


Figure 1: \$ Silver price from 2000-2022

Figure 1 shows the \$ Silver price from 2000 to 2022, reaching its highest point after 2009 at \$46 per ounce. It came down to less than \$20 per ounce and then shot up to \$28 after 2019 with the Covid-19 pandemic, remaining high also with geo-political tension with the war between Ukraine and Russia. The SVAR model in this paper uses the silver price to estimate the impulse response function and variance decomposition.

One of the earliest price models for silver investigates the determinants of precious metals including demand and supply and industry production (Radetzki 1989). Various other studies have since appeared describing silver price behaviour including monthly time series analysis of single countries such as Thailand (Jongadsayakul, 2015) and Ethiopia (Ayele et al., 2020). Further authors argue about the volatility between gold and silver prices and that changes in the silver price could be susceptible to changes in the gold price (Bouri and Jalkh 2019; Koulis and Kyriakopoulos 2023). This study

contributes in that it involves a macroeconomic viewpoint, building a structural VAR to describe recent, annual silver price behaviour including the gold price but no other commodity prices such as platinum and palladium as used by Batten, Ciner, & Lucey (2010).

The first part of this article provides the problem statement followed by a literature review, research methodology and ends with policy implications and conclusions. The problem statement addressed in this paper pertains to a fluctuating silver price. The problem is addressed through:

- a structural vector autoregression (VAR) to observe the sensitivity of the silver price and future pricing due to changes in macroeconomic variables; and
- changes in macroeconomic variables due to changes in the silver price.

The variables used for decomposition were the silver price, gold price, oil price, real effective exchange rate of the United States (US), the US Federal funds rate, and total combined gross domestic product (GDP) of the Organisation for Economic Co-operation and Development (OECD) countries.

# 2. Data trends in terms of silver

Looking at Table 1, the demand and supply have changed from 2011 to 2020 with demand decreasing, and supply increasing, although mine production declined led by Peru, Mexico and Indonesia.

# Table 1: Silver Institute World Silver Survey 2020.

Million ounces	2011	2012	2013	2014	2015	2016	2017	2018	2019	2020F	2019	2020
Supply												
Mine Production	760.1	792.7	840.3	877.5	892.9	892.3	863.4	847.8	836.5	797.8	-1%	-5%
Recycling	232.9	216.0	192.7	174.9	166.5	164.4	167.7	167.7	169.9	169.4	1%	-0.3%
Net Hedging Supply	11.9	-	-	10.7	2.2	-	-	-	15.7	10.0	na	-36%
Net Official Sector Sales	4.8	3.6	1.7	1.2	1.1	1.1	1.0	1.2	1.0	1.0	-15%	0%
Total Supply	1,009.7	1,012.4	1,034.7	1,064.2	1,062.6	1,057.8	1,032.2	1,016.8	1,023.1	978.1	1%	-4%
Demand												
Industrial	508.1	450.5	460.8	449.6	456.2	490.3	517.2	511.5	510.9	475.4	-0.1%	-7%
of which photovoltaics	68.4	55.0	50.5	48.4	54.1	93.7	101.8	92.5	98.7	96.1	7%	-3%
Photography	61.6	52.5	45.8	43.6	41.2	37.8	35.1	34.2	33.7	30.5	-1%	-10%
Jewelry	162.2	159.2	187.1	193.5	202.6	189.2	196.3	203.1	201.3	187.5	-1%	-7%
Silverware	41.5	40.1	45.7	52.4	56.6	52.3	57.7	65.4	59.8	54.3	-9%	-9%
Net Physical Investment	272.0	240.8	300.1	282.6	310.4	213.9	156.2	165.7	186.1	215.8	12%	16%
Net Hedging Demand	-	40.4	29.3	-	-	12.0	2.1	8.4	-	-	na	na
Total Demand	1,045.4	983.5	1,068.9	1,021.6	1,067.0	995.5	964.7	988.3	991.8	963.4	0%	-3%
Market Balance	-35.7	28.9	-34.2	42.6	-4.4	62.3	67.5	28.5	31.3	14.7	10%	-53%
Net Investment in ETPs	-18.9	53.6	4.6	-0.5	-17.2	50.9	6.8	-22.3	81.7	120.0	na	47%
Market Balance less ETPs	-16.9	-24.7	-38.8	43.1	12.8	11.3	60.7	50.8	-50.4	-105.3	na	109%
Silver Price (US\$/oz, London price)	35.12	31.15	23.79	19.08	15.68	17.14	17.05	15.71	16.21	15.70	3%	-3%
Source: Metals Focus												

#### Silver Supply and Demand

Source: Metals Focus

Although the silver price has declined, the 2021 aftermath of the Covid-19 pandemic and geopolitical tension because of the war between Ukraine and Russia would ensure that the safe-haven status of silver is pronounced with higher prices recorded.

## 3. Literature review

One of the earliest works investigates the need for empirical models to explore demand, the uncertainty of price behaviour and production in resources such as silver (Pindyck 1981). Further theoretical work is done in terms of determinants, such as demand and supply as well as industrial production, also for silver (Radetzki 1989). Much later, the relationship between macroeconomic variables (business cycle, monetary environment and financial market sentiment) and price returns of precious metals markets are investigated (Batten et al, 2010). They found that the volatility of the gold price is determined by monetary variables but this does not hold for the silver price. Another stream of research looks at the relationship between silver and gold, especially cointegration and error correction models (Escribano and Granger 1998; Zhu et al. 2016). Further authors argue about the volatility between gold and silver prices and that changes in the silver price could be susceptible to changes in the gold price (Bouri and Jalkh 2019; Koulis and Kyriakopoulos 2023). Bouri and Jalkh (2019) find

evidence of predictability of the probability of gold implied volatility based on the lagged silver implied volatility across different quantiles. Koulis and Kyriakopoulus (2023) find that the volatility transmission from gold to silver is unidirectional. The latter authors focus on the volatility between gold and silver prices. In the current article, a macroeconomic approach or viewpoint is followed with a structural VAR model where various macroeconomic variables are implemented and not a stock market or volatility approach. In a recent article, some short-term negative effects run from solar energy capacity to the silver price (Apergis et al. 2020).

Possible variables explored here include the silver price (in USD), gold price (in USD), real effective exchange rate of the United States of America, the Federal Funds rate, the oil price (in USD), and the total combined OECD GDP at constant prices. This research follows up on recent research started by Joëts et al. (2017) that concluded that macroeconomic uncertainty such as the financial crisis of 2007-09 generated price uncertainty in raw material linked to especially macroeconomic activity. The chosen model was adjusted to fit previous studies as pointed out earlier, e.g. the interest rate was also included as an indicator of inflation.

#### 4. Research methodology

The vector autoregression (VAR) is an econometric model used to capture the linear interdependencies among multiple time series. The empirical analysis in the present research was based on structural VAR models. VAR models, after an appropriate identification of shocks, allow examination of the response of the commodity price (the gold price in this case) to unanticipated shocks, particularly to interest rates and the dollar exchange rate, while taking into account the dynamic interaction between commodity prices (again gold in this case) and macroeconomic variables. To identify shocks, the standard Cholesky scheme has been used. The following variables were considered endogenous variables: The gold price; the real effective exchange rate of the United States; the Federal Funds rate; the oil price (in USD); and the total combined OECD GDP at constant prices. The applicable period considered is from 1980–2019.

#### 4.1 Empirical model specification

A structural economic model (SEM) is chosen above all other models (Vines and Wills 2020).

A structural VAR is formulated for the seasonally-adjusted annual time series for the following aggregate variables in logs: The gold price; the real effective US exchange rate; the Federal Funds rate; the oil price (in USD); and total combined OECD GDP at constant prices. The SVAR is in log levels of the variables to allow implicitly for possible co-integration between variables. A VAR model for the first differences of variables may lead to biased estimates if co-integrating variables in the different levels are omitted. Two lags of the variables besides intercepts have been found to adequately characterise annual VAR modelling (Wooldridge, 2013). See appendix A for the SVAR estimations.

#### 4.2 Annual data variables

The variable *Silver price* (SilverP) is the silver price in dollar terms and is given by LOG(SILVER\_PRICE).

The variable *Gold price (GoldP)* is the gold price in dollar terms and is given by LOG(GOLD PRICE).

The *real effective exchange rate (REER)* is defined as the index of bilateral tradeweighted exchange rate adjusted by the differences in price levels between the United States and its major trading partners and given by LOG(REER).

The *Federal Funds rate* (FEDR) was selected as the interest rate to benchmark data against. It is given as (FEDERAL).

The variable *oil price* (OILP) is the oil price in dollar terms LOG(OILP).

The aggregate *OECD output series* is measured as a real gross domestic product in dollar terms LOG(OECD\_GDP).

Data was sourced from Quantec (2021) which supplies all the data. The intention was to investigate the effect of exchange rates, interest rates, oil price and output on the silver price.

#### 4.3 Impulse response analysis

Impulse responses based on VAR modelling were analysed. Ninety-five per cent confidence intervals obtained by bootstrapping together with the impulse responses to different shocks are presented here. The results are consistent with the theory of Akram (2009) suggesting a negative relationship between interest rates and commodity prices, and theories suggesting a

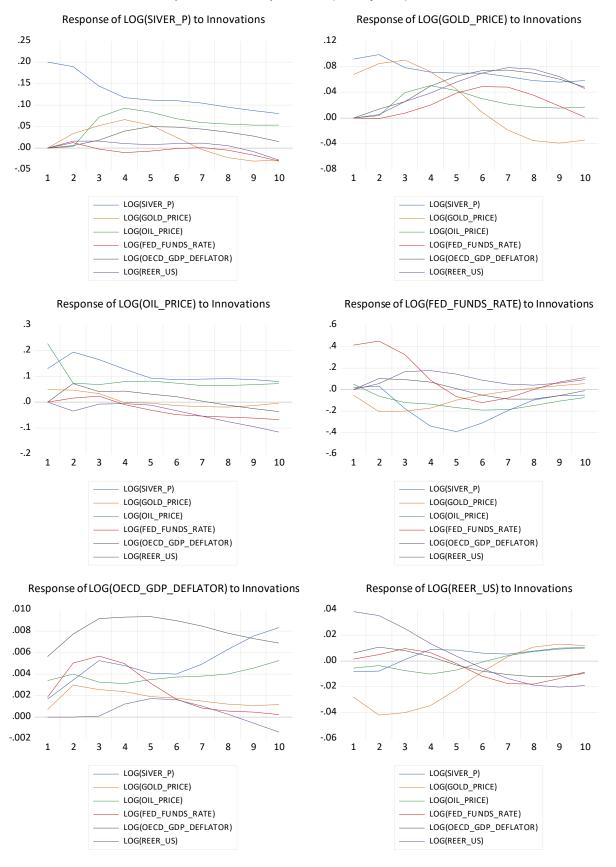
negative relationship between the real value of the dollar and commodity prices. The results of shocks to global output, proxied by OECD GDP and oil prices, are consistent with several studies based on VECM models (Hodge 2015). High economic activity can lead to higher gold prices and ultimately higher oil prices.

The necessary residual tests were conducted to ensure that the VAR modelling was stable and could be used in a meaningful way. The variables that were used for decomposition were the gold price, the oil price, the real effective exchange rate of the United States, the US Federal Funds Rate, and the total combined OECD GDP. Impulse response functions are shown in Figure 2 and shocks to each system were investigated and the forecast error variance decomposition over 10 years was examined. As already mentioned the changes in the silver price are susceptible to changes in the gold price, increasing sideways (Escribano and Granger 1998; Zhu et al. 2016). Further, the main results show that a shock to OECD GDP caused the silver price to increase which makes logical sense, thus showing a positive correlation between output and the silver price. A shock to the oil price caused the silver price to spike over the short term, then move sideways over the long term. A shock to the US Federal funds rate caused the silver price to dip over the short term, then increase slightly over the medium and moving sideways over the long term, while a shock to the real effective exchange rate of the United States caused the silver price to increase sideways.

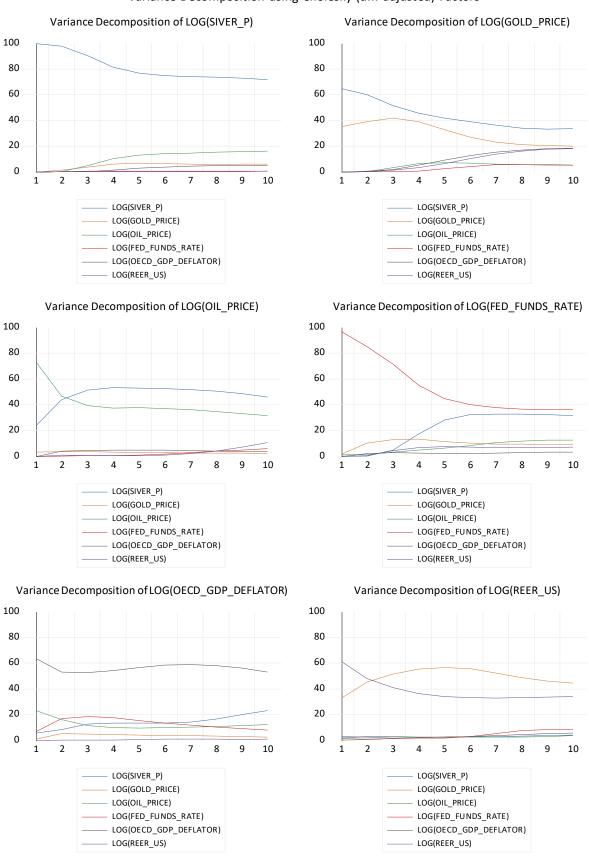
#### 4.4 Variance decomposition

Contributions of different variables are then investigated according to years over different forecasting horizons (Issler, Rodrigues & Burjack 2014). The percentages of the variance of the error made in forecasting a variable are then displayed at a given horizon due to the shocks. The variance decomposition is shown on Figure 3. Most of the variance in commodity prices such as oil prices and gold prices occur due to the silver price. These prices declined over the longer term. The silver price increased to about 20 per cent due to the output.

#### Figure 2: Impulse response function



#### Response to Cholesky One S.D. (d.f. adjusted) Innovations



# Figure 3: Variance decomposition

Variance Decomposition using Cholesky (d.f. adjusted) Factors

#### 5. Policy implication and conclusion

Silver is used in electrical switches, solar panels, computers, appliance equipment and medicine. However, the safe-haven status of silver is like gold always relevant especially during natural disasters or pandemics such as COVID-19. Price cyclicality and forecasting then become crucial for traders, hedge fund managers and policymakers. Various sources of price and production data exist worldwide. In this regard, a structural vector autoregression (VAR) was designed to check the sensitivity of the silver price and future pricing due to changes in macroeconomic variables and also changes in macroeconomic variables due to changes in the silver (commodity) price. The variables that were used for decomposition were the gold price, the oil price, the real effective exchange rate of the United States, the US Federal Funds Rate, and the total OECD GDP deflator. Impulse response functions with shocks to each system were investigated and the forecast error variance decomposition was examined.

The main results show that the silver price is susceptible to changes in the gold price, increasing sideways. A shock to OECD GDP caused the silver price to increase which makes logical sense, thus showing a positive correlation between output and the silver price. A shock to the oil price caused the silver price to spike over the short term, then move sideways over the long term. A shock to the US Federal funds rate caused the silver price to dip over the short term, then increase slightly over the medium and move sideways over the long term, while a shock to the real effective exchange rate of the United States caused the silver price to increase sideways. The article sheds some light on the silver price and its influence as a safe haven commodity. The oil price, OECD output, interest rate and real effective exchange rate of the US are taken into account in terms of the silver price and the impact of shocks will assist with forecasting, also in terms of geopolitical tensions and financial concerns. This research could serve as a guide for possible early interventions, especially concerning the reactive status of the silver price to macroeconomic variables which would serve the interests of all affected stakeholders such as policymakers.

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#### APPENDIX A

Standard errors in ( ) & t-statistics in [ ]

$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$		LOG(SIVER_P)	LOG(GOLD_PR CE)	I LOG(OIL_PRIC E)	LOG(FED_FUN DS_RATE)	LOG(OECD_GD P_DEFLATOR)	LOG(REER_ US)
(0.34241)         (0.1478)         (0.4550)         (0.71754)         (0.008334)           LOG(SIVER_P(-2))         -0.216223         (0.15191)         (0.25597)         (0.1247)         (0.00820)           LOG(GOLD_PRICE(-1))         0.655090         (1.26417)         (0.04334)         (1.47443)         (0.01247)         (0.00820)           LOG(GOLD_PRICE(-1))         0.655090         (1.28417)         (0.10439)         -1.38141         0.03017         -0.24016           LOG(GOLD_PRICE(-1))         0.655090         (1.28417)         (0.19439)         -1.38141         0.03017         -0.24016           LOG(GOLD_PRICE(-2))         0.474244         (0.191916)         (-1.143170)         1.971711         -0.01027         (0.13551)           LOG(OOL_PRICE(-1))         0.010434         -0.013024         (0.104882)         -0.706379         -0.044223         -0.008607           (0.0128)         (0.01312)         (0.21421)         (0.37988)         (0.04472)         -0.098607           (0.0128)         (0.01324)         (0.14882)         -0.706379         -0.044223         -0.008607           (0.0128)         (0.01324)         (0.21470)         (0.34129)         (0.00471)         (0.04947)           LOG(OIL_PRICE(-1))         0.314522         (0.	LOG(SIVER P(-1))	0.646216	-0.098321	0.700326	1.057959	-0.009293	0.106264
$ \begin{bmatrix} 1.88725 \\ [-0.50478] \\ [-1.58725] \\ [-0.50478] \\ [-0.55597 \\ [-0.56595] \\ [-0.55597 \\ [-0.2228] \\ [-0.75101] \\ [-0.55597 \\ [-0.7415] \\ [-0.57818 \\ [-2.23451] \\ [-1.232451 \\ [-1.23245 \\ [-1.$		(0.34241)	(0.19478)		(0.71754)	(0.01200)	(0.08334)
$ \begin{array}{c c} 0.35559 \\ [-0.60807] & (0.20228) \\ [-0.60807] & [-0.75101] \\ [0.53678] & [-2.23451] \\ [-2.318141 \\ [0.01247] & (0.08855) \\ [-0.038017 \\ [-0.03203] \\ [-0.03203] & [-0.038017 \\ [-0.02303] & [-0.038017 \\ [-0.02303] & [-0.240106 \\ [0.02383] & [-0.038017 \\ [-0.02333] & [-0.240106 \\ [0.02383] & [-0.038017 \\ [-0.02333] & [-1.59510] & [-1.45113] \\ \\ LOG(GOLD_PRICE(-2)) & 0.074244 & (-0.191916 \\ [-0.49268] & [-1.25466] & [-1.37405] & [-2.12548] & [0.81571 \\ [-0.69256] & [-0.49268] & [-1.25466] & [-1.37405] & [-2.12548] & [0.81451] \\ \\ LOG(OIL_PRICE(-1)) & 0.010434 & (-0.013024 & 0.104882 & -0.706379 & -0.004223 & -0.008607 \\ (0.818128) & (0.10312) & (0.24121) & (0.37988) & (0.00636) & (0.04412) \\ [-0.05756] & [-0.12530] & (0.24121) & (0.37988) & (0.00636) & (0.04412) \\ [-0.05756] & (-0.12530] & (0.043822 & -0.706379 & -0.004223 & -0.008607 \\ (0.16326) & (0.09264) & (0.21670) & (0.37988) & (0.00636) & (0.04412) \\ [-0.05756] & (0.017342 & -0.201302 & -0.079846 & -0.000126 & -0.019540 \\ (0.16326) & (0.09264) & (0.21670) & (0.34129) & (0.007571) & (0.03964) \\ [-0.31614] & [-0.29981] & [-0.232671 & -0.019832 & 1.011703 & 0.006108 & 0.004061 \\ (0.07722) & (0.045071) & (0.10542) & (0.10542) & (0.00767 & -0.002034 \\ (0.07762) & (0.045071) & (0.10542) & (0.16603) & (0.007767 & -0.002034 \\ (0.07762) & (0.045071) & (0.10542) & (0.16603) & (0.007767 & -0.002034 \\ (0.07762) & (0.045071) & (0.048286 & -0.471145 & -0.007667 & -0.002034 \\ (0.07762) & (0.044155) & (0.045741) & [-2.91508] & [-2.70743] & [-0.10765] \\ \\ LOG(PED\_PUNDS\_RATE(- 2)) & -0.058765 & (0.017145 & -0.048286 & -0.474145 & -0.00767 & -0.002034 \\ (0.07762) & (0.044157) & [0.404826 & -0.474145 & -0.007672 & -0.002034 \\ (0.07762) & (0.044157) & [0.404826 & -0.47541] & [-2.91508] & [-2.70743] & [-0.10765] \\ \\ LOG(OECD\_GDP\_DEFLAT & 0.6440608 & -2.00763 & -12.33265 & -16.58067 & -0.385717 & -0.865469 \\ (4.52655) & (2.57493) & [-0.47640] & [-1.74800] & [-2.43058] & [-0.78557] \\ [-0.40865] & [-0.34010] & [-0.34010] & [-0.34001] & [-0.34010] & [-0.34010] & [-0.34010] $		· · · · · ·	· · · · · ·	[1.53715]	· · · · ·	· · · · ·	
$ \begin{array}{c c} 0.35559 \\ [-0.60807] & (0.20228) \\ [-0.60807] & [-0.75101] \\ [0.53678] & [-2.23451] \\ [-2.318141 \\ [0.01247] & (0.08855) \\ [-0.038017 \\ [-0.03203] \\ [-0.03203] & [-0.038017 \\ [-0.02303] & [-0.038017 \\ [-0.02303] & [-0.240106 \\ [0.02383] & [-0.038017 \\ [-0.02333] & [-0.240106 \\ [0.02383] & [-0.038017 \\ [-0.02333] & [-1.59510] & [-1.45113] \\ \\ LOG(GOLD_PRICE(-2)) & 0.074244 & (-0.191916 \\ [-0.49268] & [-1.25466] & [-1.37405] & [-2.12548] & [0.81571 \\ [-0.69256] & [-0.49268] & [-1.25466] & [-1.37405] & [-2.12548] & [0.81451] \\ \\ LOG(OIL_PRICE(-1)) & 0.010434 & (-0.013024 & 0.104882 & -0.706379 & -0.004223 & -0.008607 \\ (0.818128) & (0.10312) & (0.24121) & (0.37988) & (0.00636) & (0.04412) \\ [-0.05756] & [-0.12530] & (0.24121) & (0.37988) & (0.00636) & (0.04412) \\ [-0.05756] & (-0.12530] & (0.043822 & -0.706379 & -0.004223 & -0.008607 \\ (0.16326) & (0.09264) & (0.21670) & (0.37988) & (0.00636) & (0.04412) \\ [-0.05756] & (0.017342 & -0.201302 & -0.079846 & -0.000126 & -0.019540 \\ (0.16326) & (0.09264) & (0.21670) & (0.34129) & (0.007571) & (0.03964) \\ [-0.31614] & [-0.29981] & [-0.232671 & -0.019832 & 1.011703 & 0.006108 & 0.004061 \\ (0.07722) & (0.045071) & (0.10542) & (0.10542) & (0.00767 & -0.002034 \\ (0.07762) & (0.045071) & (0.10542) & (0.16603) & (0.007767 & -0.002034 \\ (0.07762) & (0.045071) & (0.10542) & (0.16603) & (0.007767 & -0.002034 \\ (0.07762) & (0.045071) & (0.048286 & -0.471145 & -0.007667 & -0.002034 \\ (0.07762) & (0.044155) & (0.045741) & [-2.91508] & [-2.70743] & [-0.10765] \\ \\ LOG(PED\_PUNDS\_RATE(- 2)) & -0.058765 & (0.017145 & -0.048286 & -0.474145 & -0.00767 & -0.002034 \\ (0.07762) & (0.044157) & [0.404826 & -0.474145 & -0.007672 & -0.002034 \\ (0.07762) & (0.044157) & [0.404826 & -0.47541] & [-2.91508] & [-2.70743] & [-0.10765] \\ \\ LOG(OECD\_GDP\_DEFLAT & 0.6440608 & -2.00763 & -12.33265 & -16.58067 & -0.385717 & -0.865469 \\ (4.52655) & (2.57493) & [-0.47640] & [-1.74800] & [-2.43058] & [-0.78557] \\ [-0.40865] & [-0.34010] & [-0.34010] & [-0.34001] & [-0.34010] & [-0.34010] & [-0.34010] $	LOG(SIVER P(-2))	-0.216223	-0.151913	0.253972	-1.665056	0.022463	0.000280
LOG(GOLD_PRICE(-1)) LOG(GOLD_PRICE(-2)) LOG(GOLD_PRICE(-2)) LOG(GOLD_PRICE(-2)) LOG(GOLD_PRICE(-2)) LOG(GOLD_PRICE(-2)) DOTATA						(0.01247)	
$ \begin{array}{c cccc} 0.386723 & (0.38672) & (0.90455) & (1.42460) & (0.02383) & (0.16546) \\ [0.97832] & [3.32648] & [0.11988] & [-0.93931] & [1.59510] & [-1.45113] \\ \hline \\ LOG(GOLD_PRICE(-2)) & 0.474244 & (0.191916 & -1.143170 & 1.971711 & 0.051027 & 0.135751 \\ [-0.69256] & [-0.49268] & [-1.25466] & [1.37405] & [-2.12548] & [0.6667] \\ [-0.49256] & [-0.49268] & [-1.25466] & [1.37405] & [-2.12548] & [0.81451] \\ \hline \\ LOG(OIL_PRICE(-1)) & 0.010434 & -0.013024 & 0.104882 & -0.706379 & -0.004223 & -0.008607 \\ (0.18128) & [0.01312] & (0.24121) & (0.37988) & [0.00636] & [0.004412] \\ [0.05756] & [-0.12630] & [0.43482] & [-1.85947] & [-0.66447] & [-0.1597] \\ \hline \\ LOG(OIL_PRICE(-2)) & 0.314522 & 0.153724 & 0.201302 & 0.079406 & -0.000126 & -0.019540 \\ (0.16286) & (0.09264) & [0.21670] & (0.34129) & [(0.00571) & [(0.03964)] \\ [1.93120] & [1.65928] & [0.92884] & [0.23267] & [-0.02201] & [-0.49296] \\ \hline \\ LOG(FED_FUNDS_RATE(-1)) & 0.025048 & -0.013512 & -0.019832 & 1.011703 & 0.006108 & 0.004611 \\ (0.07923) & (0.04507) & (0.10542) & (0.16603) & (0.00278) & (0.01928) \\ [0.31614] & [-0.29981] & [-0.18813] & [6.69351] & [2.19894] & [0.21061] \\ \hline \\ LOG(FED_FUNDS_RATE(-2)) & -0.058765 & 0.017145 & -0.048286 & -0.474145 & -0.007367 & -0.002034 \\ (0.07762) & (0.04415) & [(0.10328) & (0.16245) & (0.00272) & (0.01889) \\ [-0.75709] & [0.38832] & [-0.46754] & [-2.91508] & [-2.70743] & [-0.10765] \\ \hline \\ LOG(OECD\_GDP\_DPEFLAT \\ OR(-1)) & 0.492669 & 2.347661 & 13.79353 & 16.36264 & 1.373924 & 0.937923 \\ (.478455) & (2.70116) & [(6.31812) & (0.95054) & (0.16245) & (0.10647) & (1.15571) \\ [0.010751] & [0.48613] & [2.18317] & [1.64440] & [8.25312] & [0.87557] \\ \hline \\ LOG(OECD\_GDP\_DPEFLAT \\ OR(-2)) & -0.640608 & -2.090763 & -12.33265 & -16.58067 & -0.385717 & -0.365469 \\ (.452655) & (0.55021) & (1.28696) & (2.02866) & (0.43395) & (0.75557) \\ \hline \\ LOG(REER\_US(-1)) & 0.404845 & 0.136485 & -0.902034 & 1.365237 & -0.000192 & 0.919952 \\ (0.96916) & (0.55021) & (1.28696) & (2.03691) & (0.03396) & (0.235841) \\ [0.41856] & [0.24806] & [-0.70909] & [0.47357] & [-0.8055$		[-0.60807]	[-0.75101]	[ 0.53678]	[-2.23451]	[ 1.80184]	[ 0.00323]
$ \begin{bmatrix} 0.97832 \\ 0.09244 \\ 0.07923 \\ 0.07923 \\ 0.015512 \\ 0.01745 \\ 0.00264 \\ 0.021670 \\ 0.04257 \\ 0.019832 \\ 0.016425 \\ 0.060188 \\ 0.00723 \\ 0.006108 \\ 0.009278 \\ 0.009278 \\ 0.009278 \\ 0.009278 \\ 0.009278 \\ 0.009278 \\ 0.009278 \\ 0.009278 \\ 0.009278 \\ 0.009278 \\ 0.009278 \\ 0.009278 \\ 0.009278 \\ 0.009278 \\ 0.009278 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.00918 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0.00918 \\ 0.009278 \\ 0.00918 \\ 0$	LOG(GOLD_PRICE(-1))	0.665090	1.286417	0.108439	-1.338141	0.038017	-0.240106
$ \begin{array}{c cccc} eq:log_log_log_log_log_log_log_log_log_log_$		(0.67983)	(0.38672)	(0.90455)	(1.42460)	(0.02383)	(0.16546)
$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$		[ 0.97832]	[ 3.32648]	[ 0.11988]	[-0.93931]	[ 1.59510]	[-1.45113]
$ \begin{bmatrix} -0.69256 \\ [-0.49268] \\ [-1.25466] \\ [-1.37405] \\ [-2.12548] \\ [-$	LOG(GOLD_PRICE(-2))	-0.474244	-0.191916	-1.143170	1.971711	-0.051027	0.135751
LOG(OIL_PRICE(-1))         O.014         O.013024         O.014822         O.044223         O.044223         O.044223         O.044223         O.044223         O.044223         O.04412)         O.04412)         O.05756         O.01312         O.01312         O.0143422         O.037989         O.000126         O.004123         O.04412         O.04541         O.01511         O.02504         O.01511         O.02504         O.01511         O.02504         O.013512         O.019832         I.011703         O.006108         O.04061         O.04928         O.01928         O.01928         O.01928         O.01928         O.01928         O.01928         O.01928         O.019332         I.011703         O.006108         O.04061         O.04928         O.01938         O.01938         O.007367         O.002034         O.01928         O.011932         I.011703         O.007367         O.002034         O.007367         O.002034 </td <td></td> <td>(0.68477)</td> <td>(0.38953)</td> <td>(0.91114)</td> <td>(1.43497)</td> <td>(0.02401)</td> <td>(0.16667)</td>		(0.68477)	(0.38953)	(0.91114)	(1.43497)	(0.02401)	(0.16667)
LOG (DEL_PRICE(-2))         (0.18128)         (0.00312)         (0.24121)         (0.37988)         (0.00636)         (0.04412)           LOG(OIL_PRICE(-2))         0.314522         0.153724         0.201302         0.079406         -0.000126         -0.019540           LOG(OIL_PRICE(-2))         0.314522         (0.153724         0.201302         0.079406         -0.000126         -0.019540           LOG(FED_FUNDS_RATE(-1))         0.025048         -0.013512         -0.019832         1.011703         0.006108         0.004611           1))         0.025048         -0.013512         -0.019832         1.011703         0.006108         0.004661           (0.07923)         (0.04507)         (0.10542)         (0.16603)         (0.00278)         (0.01928)           LOG(FED_FUNDS_RATE(-2))         -0.058765         0.017145         -0.048286         -0.4774145         -0.007367         -0.002034           (0.07762)         (0.04415)         (0.1328)         (0.16265)         (0.0272)         (0.01889)           [-0.75709]         [-0.38832]         [-0.4754]         [-2.91508]         [-2.70743]         [-0.10765]           LOG(OECD_GDP_DEFLAT         0.492669         2.347661         13.79353         16.36264         1.373924         0.937923		[-0.69256]	[-0.49268]	[-1.25466]	[ 1.37405]	[-2.12548]	[ 0.81451]
Image: Constrain form: Constraint	LOG(OIL_PRICE(-1))	0.010434	-0.013024	0.104882	-0.706379	-0.004223	
LOG(OIL_PRICE(-2))         0.314522 (0.16286)         0.153724 (0.09264)         0.201302 (0.21670)         0.07940 (0.34129)         -0.000126 (0.00571)         -0.019540 (0.00374)           LOG(FED_FUNDS_RATE(- 1))         0.025048 (0.07923)         -0.013512 (0.04507)         -0.019832 (0.1642)         1.011703 (0.16643)         0.006108 (0.00278)         0.004061 (0.01928)           LOG(FED_FUNDS_RATE(- 2))         -0.058765 (0.07762)         0.017145 (0.04415)         -0.048286 (0.16265)         -0.474145 (0.07627)         -0.007367 (0.00278)         -0.002034 (0.01928)           LOG(GECD_GDP_DEFLAT OR(-1))         0.492669 (4.47845)         2.347661 (2.37461)         13.79353 (2.18177)         16.36264 (0.16647)         1.373924 (0.16647)         0.937923 (0.15877)           LOG(OECD_GDP_DEFLAT OR(-1))         0.492669 (4.42655)         2.347661 (2.37493)         13.79353 (2.18177)         16.36264 (0.16647)         1.373924 (1.15571)         0.937923 (1.10176)           LOG(OECD_GDP_DEFLAT OR(-2))         -0.640608 (4.52655)         -2.090763 (2.57493)         -12.33265 (2.02766)         -16.58067 (0.15687)         -0.385717 (0.15647)         -0.865469 (1.10170)           LOG(REER_US(-1))         0.404648 (0.355021)         0.316421 (0.24806)         (-10.20024)         1.365237 (0.05523)         -0.001922 (0.22866)         0.933913         (0.23541) (0.23541)           LOG(REER_US(-1))         0.4046485 (0.655131)		· · · · ·	(0.10312)	(0.24121)	(0.37988)	(0.00636)	(0.04412)
$\begin{array}{c c c c c c c c c c c c c c c c c c c $		[ 0.05756]	[-0.12630]	[ 0.43482]	[-1.85947]	[-0.66447]	[-0.19507]
$ \begin{bmatrix} 1.93120 \end{bmatrix} \begin{bmatrix} 1.65928 \end{bmatrix} \begin{bmatrix} 0.92894 \end{bmatrix} \begin{bmatrix} 0.23267 \end{bmatrix} \begin{bmatrix} -0.02201 \end{bmatrix} \begin{bmatrix} -0.49296 \end{bmatrix} \\ \begin{bmatrix} -0.49226 \end{bmatrix} \\ \begin{bmatrix} -0.02201 \end{bmatrix} \begin{bmatrix} -0.49226 \end{bmatrix} \\ \begin{bmatrix} -0.29981 \end{bmatrix} \begin{bmatrix} -0.18813 \end{bmatrix} \begin{bmatrix} -0.017145 \\ -0.0756 \end{bmatrix} \\ \begin{bmatrix} -0.058765 \\ (0.07762 ) \\ \begin{bmatrix} -0.058765 \\ (0.07762 ) \\ \begin{bmatrix} -0.46754 \end{bmatrix} \end{bmatrix} \\ \begin{bmatrix} -2.91508 \end{bmatrix} \begin{bmatrix} -2.70743 \end{bmatrix} \begin{bmatrix} -0.002034 \\ (0.00272 ) \\ (0.00272 ) \\ \begin{bmatrix} -0.007367 \\ (0.00762 ) \\ (0.00762 ) \\ \begin{bmatrix} -0.46754 \end{bmatrix} \end{bmatrix} \\ \begin{bmatrix} -2.91508 \end{bmatrix} \begin{bmatrix} -2.70743 \end{bmatrix} \begin{bmatrix} -0.01748 \\ -0.07762 \end{bmatrix} \\ \begin{bmatrix} -0.17709 \end{bmatrix} \begin{bmatrix} -0.46754 \\ (2.70116 ) \\ (-1.7880 \end{bmatrix} \end{bmatrix} \\ \begin{bmatrix} -2.91508 \\ (2.19894 \end{bmatrix} \end{bmatrix} \\ \begin{bmatrix} -2.70743 \\ (0.16647 ) \\ (1.15571 ) \\ \begin{bmatrix} -0.17570 \end{bmatrix} \end{bmatrix} \\ \begin{bmatrix} -0.460608 \\ (2.270116 ) \\ (2.18317 ] \end{bmatrix} \\ \begin{bmatrix} -0.46440 \\ [8.25312 ] \\ [0.81155 \end{bmatrix} \end{bmatrix} \\ \begin{bmatrix} -0.681197 \\ [-0.81197 ] \\ \begin{bmatrix} -2.04764 \\ [-1.74800 ] \\ \begin{bmatrix} -1.74800 \\ [-2.43058 ] \\ \begin{bmatrix} -2.3058 \\ (0.03391 ) \\ (0.23541 ) \\ \begin{bmatrix} -0.7857 \\ (0.03391 ) \\ (0.23541 ) \\ \begin{bmatrix} -0.7857 \\ [-0.7857 ] \end{bmatrix} \end{bmatrix} \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\$	LOG(OIL_PRICE(-2))						
$ \begin{array}{c c c c c c c c c c c c c c c c c c c $			· · · · · ·	· · · · ·	· · · ·		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$		[ 1.93120]	[ 1.65928]	[ 0.92894]	[ 0.23267]	[-0.02201]	[-0.49296]
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	LOG(FED_FUNDS_RATE(-						
$ \begin{bmatrix} 0.31614 \end{bmatrix} \begin{bmatrix} -0.29981 \end{bmatrix} \begin{bmatrix} -0.18813 \end{bmatrix} \begin{bmatrix} 6.09351 \end{bmatrix} \begin{bmatrix} 2.19894 \end{bmatrix} \begin{bmatrix} 0.21061 \end{bmatrix} \\ \begin{bmatrix} LOG(FED_FUNDS_RATE(-2)) \\ 2) \end{bmatrix} \begin{bmatrix} -0.058765 \\ (0.07762) \\ [-0.75709 \end{bmatrix} \begin{bmatrix} 0.017145 \\ (0.04415) \\ [-0.38832 ] \end{bmatrix} \begin{bmatrix} -0.46754 \\ [-2.91508 ] \\ [-2.91508 ] \end{bmatrix} \begin{bmatrix} -2.70743 \\ [-2.70743 ] \end{bmatrix} \begin{bmatrix} -0.002034 \\ (0.00272 ) \\ [0.00272 ] \\ [0.010765 ] \end{bmatrix} \\ \begin{bmatrix} LOG(OECD_GDP_DEFLAT \\ OR(-1) ) \end{bmatrix} \begin{bmatrix} 0.492669 \\ (4.74845) \\ [0.10375 ] \end{bmatrix} \begin{bmatrix} 2.347661 \\ (13.79353 \\ [0.86913 ] \end{bmatrix} \begin{bmatrix} 2.18317 ] \\ [1.64440 ] \end{bmatrix} \begin{bmatrix} 1.64440 ] \\ [8.25312 ] \end{bmatrix} \begin{bmatrix} 0.81155 ] \end{bmatrix} \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\$	1))						
$ \begin{array}{c c c c c c c c c c c c c c c c c c c $			· · · · · ·	· · · ·	· · · ·		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$		[ 0.31614]	[-0.29981]	[-0.18813]	[ 6.09351]	[ 2.19894]	[ 0.21061]
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$							
$\begin{bmatrix} -0.75709 \\ 0.38832 \\ 0.4754 \\ 0.6(-1) \end{bmatrix} \begin{bmatrix} -2.70743 \\ 0.492669 \\ 0.474845 \\ 0.10375 \\ 0.10375 \end{bmatrix} \begin{bmatrix} 0.38832 \\ 0.474845 \\ 0.2.70116 \\ 0.86913 \\ 0.10375 \end{bmatrix} \begin{bmatrix} 1.3.79353 \\ 0.43122 \\ 0.95054 \\ 0.164440 \\ 0.16447 \\ 0.16447 \\ 0.16647 \\ 0.16647 \\ 0.16647 \\ 0.16647 \\ 0.16647 \\ 0.16647 \\ 0.16571 \\ 0.88512 \\ 0.88512 \\ 0.88512 \\ 0.88513 \\ 0.16869 \\ 0.48553 \\ 0.15869 \\ 0.15869 \\ 0.15869 \\ 0.15869 \\ 0.11070 \\ 0.1070 \\ 0.15869 \\ 0.15869 \\ 0.11070 \\ 0.1070 \\ 0.15869 \\ 0.15869 \\ 0.11070 \\ 0.1070 \\ 0.15869 \\ 0.15869 \\ 0.11070 \\ 0.1070 \\ 0.15869 \\ 0.15869 \\ 0.15869 \\ 0.15869 \\ 0.1070 \\ 0.15869 \\ 0.15869 \\ 0.1070 \\ 0.15869 \\ 0.15869 \\ 0.1070 \\ 0.15869 \\ 0.11070 \\ 0.15869 \\ 0.1070 \\ 0.15869 \\ 0.15869 \\ 0.11070 \\ 0.23541 \\ 0.24806 \\ 0.03391 \\ 0.23541 \\ 0.23541 \\ 0.24806 \\ 0.03391 \\ 0.23541 \\ 0.23588 \\ 0.235$	2))						
$\begin{array}{c c c c c c c c c c c c c c c c c c c $				· · · · ·			
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		[-0.75709]	[ 0.38832]	[-0.46754]	[-2.91508]	[-2.70743]	[-0.10765]
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$			0.047661	10 500 50	1626264	1.25202.4	0.007000
$\begin{bmatrix} 0.10375 \end{bmatrix} \begin{bmatrix} 0.86913 \end{bmatrix} \begin{bmatrix} 2.18317 \end{bmatrix} \begin{bmatrix} 1.64440 \end{bmatrix} \begin{bmatrix} 8.25312 \end{bmatrix} \begin{bmatrix} 0.81155 \end{bmatrix}$ $LOG(OECD\_GDP\_DEFLAT OR(-2)) \qquad -0.640608 \\ (4.52655) \\ (2.57493) \\ (-0.14152) \end{bmatrix} \begin{pmatrix} -0.287793 \\ (-0.28763) \\ (-0.14152) \\ (-0.14152) \end{bmatrix} \begin{bmatrix} -0.81197 \\ (-2.04764) \\ (-1.74800) \\ (-1.74800) \end{bmatrix} \begin{pmatrix} -2.43058 \\ (0.3391) \\ (0.23541) \\ (0.23541) \\ (0.41856) \\ (0.96723) \\ (0.41856) \\ (0.41856) \\ (0.55021) \\ (0.41856) \\ (0.55021) \\ (0.55021) \\ (0.55021) \\ (0.24806) \\ (-0.70090) \end{bmatrix} \begin{bmatrix} 0.816841 \\ -0.011723 \\ (-0.0565) \\ (3.90786] \\ (0.3398) \\ (0.23588) \\ (-0.34010] \\ (0.73950) \end{bmatrix} \begin{bmatrix} 0.492675 \\ 0.816841 \\ -0.011723 \\ (0.3398) \\ (0.23588) \\ (-0.34501] \\ (-0.34010] \\ (0.73950) \end{bmatrix} \begin{bmatrix} 0.38206 \\ (0.49220) \\ (0.40220) \\ (-0.34501) \end{bmatrix} \begin{bmatrix} -0.81682 \\ (-0.84802) \\ (-0.84802) \\ (-0.84802) \\ (-0.84802) \\ (-0.84802) \\ (-0.84802) \\ (-0.84802) \\ (-0.84802) \\ (-0.84802) \\ (-0.34901) \end{bmatrix} \begin{bmatrix} 0.73950 \\ (0.38206) \\ (0.40220) \\ (-0.34501) \\ (-0.34501) \\ (-0.8402) \\ (-0.8$	OR(-1))						
$\begin{array}{c c c c c c c c c c c c c c c c c c c $							
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		[ 0.103/3]	[ 0.80913]	[2.1851/]	[ 1.04440]	[ 8.25512]	[ 0.81155]
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$			2 000762	10 22265	16 59067	0 295717	0 965460
$\begin{bmatrix} -0.14152 \end{bmatrix} \begin{bmatrix} -0.81197 \end{bmatrix} \begin{bmatrix} -2.04764 \end{bmatrix} \begin{bmatrix} -1.74800 \end{bmatrix} \begin{bmatrix} -2.43058 \end{bmatrix} \begin{bmatrix} -0.78557 \end{bmatrix}$ $LOG(REER_US(-1)) \begin{bmatrix} 0.404845 \\ (0.96723) \\ [0.41856 ] \end{bmatrix} \begin{bmatrix} 0.55021 \\ (0.55021) \\ [0.24806 ] \end{bmatrix} \begin{bmatrix} -0.70090 \end{bmatrix} \begin{bmatrix} 0.67357 \end{bmatrix} \begin{bmatrix} -0.000192 \\ (0.03391) \\ [-0.00565 ] \end{bmatrix} \begin{bmatrix} 0.23541 \\ [3.90786 ] \end{bmatrix}$ $LOG(REER_US(-2)) \begin{bmatrix} -0.329614 \\ (0.96916) \\ [-0.34010 ] \end{bmatrix} \begin{bmatrix} 0.407695 \\ (0.55131) \\ [0.73950 ] \end{bmatrix} \begin{bmatrix} 0.492675 \\ (0.492675 \\ [0.38206 ] \end{bmatrix} \begin{bmatrix} 0.011723 \\ (0.03398) \\ (0.03398) \\ (0.23588) \\ [-0.34501 ] \end{bmatrix} \begin{bmatrix} -0.3420614 \\ [0.73950 ] \end{bmatrix} \begin{bmatrix} 0.73950 \\ [0.38206 ] \end{bmatrix} \begin{bmatrix} 0.40220 \\ [0.40220 ] \\ [-0.34501 ] \end{bmatrix} \begin{bmatrix} -0.89402 \\ [-0.89402 ] \end{bmatrix}$	OR(-2))						
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$					· · · ·		
$ \begin{array}{c ccccc} (0.96723) & (0.55021) & (1.28696) & (2.02686) & (0.03391) & (0.23541) \\ [0.41856] & [0.24806] & [-0.70090] & [0.67357] & [-0.00565] & [3.90786] \\ \end{array} \\ \begin{array}{c ccccccccccccccccccccccccccccccccccc$		[-0.14132]	[-0.01197]	[-2.04704]	[-1./4800]	[-2.43038]	[-0.78557]
$\begin{bmatrix} 0.41856 \end{bmatrix} \begin{bmatrix} 0.24806 \end{bmatrix} \begin{bmatrix} -0.70090 \end{bmatrix} \begin{bmatrix} 0.67357 \end{bmatrix} \begin{bmatrix} -0.00565 \end{bmatrix} \begin{bmatrix} 3.90786 \end{bmatrix}$ $\begin{bmatrix} 0.21882 \\ (0.96916) \\ (0.55131) \\ \begin{bmatrix} 0.38206 \end{bmatrix} \begin{bmatrix} 0.38206 \end{bmatrix} \begin{bmatrix} 0.40220 \end{bmatrix} \begin{bmatrix} 0.40220 \end{bmatrix} \begin{bmatrix} 0.67357 \end{bmatrix} \begin{bmatrix} -0.00565 \end{bmatrix} \begin{bmatrix} 0.210882 \\ -0.210882 \\ (0.03398) \\ \begin{bmatrix} 0.23588 \\ -0.81684 \end{bmatrix} \end{bmatrix}$ $\begin{bmatrix} -0.34010 \end{bmatrix} \begin{bmatrix} 0.73950 \end{bmatrix} \begin{bmatrix} 0.38206 \end{bmatrix} \begin{bmatrix} 0.40220 \end{bmatrix} \begin{bmatrix} 0.40220 \end{bmatrix} \begin{bmatrix} -0.34501 \end{bmatrix} \begin{bmatrix} -0.89402 \end{bmatrix}$ $C \qquad 0.597995  -3.621035  -0.069559  -8.370729  0.157132  1.300732 \end{bmatrix}$	LOG(REER_US(-1))						
LOG(REER_US(-2))       -0.329614       0.407695       0.492675       0.816841       -0.011723       -0.210882         (0.96916)       (0.55131)       (1.28953)       (2.03091)       (0.03398)       (0.23588)         [-0.34010]       [0.73950]       [0.38206]       [0.40220]       [-0.34501]       [-0.89402]         C       0.597995       -3.621035       -0.069559       -8.370729       0.157132       1.300732		· · · · · ·	· · · · · ·	· · · ·	· · · · ·		
(0.96916)(0.55131)(1.28953)(2.03091)(0.03398)(0.23588)[-0.34010][0.73950][0.38206][0.40220][-0.34501][-0.89402]C0.597995-3.621035-0.069559-8.3707290.1571321.300732		[ 0.41856]	[ 0.24806]	[-0.70090]	[ 0.6/35/]	[-0.00565]	[ 3.90786]
[-0.34010][0.73950][0.38206][0.40220][-0.34501][-0.89402]C0.597995-3.621035-0.069559-8.3707290.1571321.300732	LOG(REER_US(-2))						
C 0.597995 -3.621035 -0.069559 -8.370729 0.157132 1.300732							
		[-0.34010]	[ 0.73950]	[ 0.38206]	[ 0.40220]	[-0.34501]	[-0.89402]
(3.24271) (1.84462) (4.31464) (6.79522) (0.11368) (0.78924)	С	0.597995	-3.621035	-0.069559	-8.370729	0.157132	1.300732
		(3.24271)	(1.84462)	(4.31464)	(6.79522)	(0.11368)	(0.78924)

	[ 0.18441]	[-1.96303]	[-0.01612	] [-1.23	[] [] [] [] [] [] [] [] [] [] [] [] [] [	1.38217]	[ 1.64809]
R-squared	0.932213	0.975751	0.891074	0.94	8839 (	0.999476	0.861901
Adj. R-squared	0.899675	0.964111	0.838790	0.92	4282 (	0.999225	0.795613
Sum sq. resids	1.000419	0.323726	1.771143	4.39	3104 (	0.001230	0.059262
S.E. equation	0.200042	0.113794	0.266169	0.41	9195 (	0.007013	0.048688
F-statistic	28.64998	83.82963	17.04282	38.6	3796 3	3977.308	13.00245
Log likelihood	15.18652	36.62377	4.333593	-12.9	2621	142.5146	68.88436
Akaike AIC	-0.115080	-1.243357	0.456127	1.36	4537 -0	6.816557	-2.941282
Schwarz SC	0.445147	-0.683130	1.016354	1.92	4764 -(	6.256331	-2.381055
Mean dependent	4.642019	6.306815	3.528267	0.75	0499 4	4.294960	4.717145
S.D. dependent	0.631561	0.600673	0.662919	1.52	3408 (	0.251948	0.107694
Determinant resid covaria	nce (dof adj.)	7.31E-14					
Determinant resid covarian	· • ·	5.92E-15					
Log likelihood		298.9150					
Akaike information criteri	on	-11.62710					
Schwarz criterion		-8.265743					
R-squared	0.989952	0.989988	0.993614	0.924065	0.996794	0.9806	592
Adj. R-squared	0.972727	0.972825	0.982667	0.793890	0.991298	0.9475	593
Sum sq. resids	0.081233	0.062252	0.062724	4.291447	0.000908	0.0024	179
S.E. equation	0.107725	0.094304	0.094660	0.782984	0.011388	0.0188	318
F-statistic	57.47081	57.68191	90.76645	7.098639	181.3599	29.62	888
Log likelihood	26.68291	29.34418	29.26870	-12.98769	71.62420	61.57	814
Akaike AIC	-1.368291	-1.634418	-1.626870	2.598769	-5.862420	-4.857	
Schwarz SC	-0.721065	-0.987192	-0.979644	3.245995	-5.215194	-4.210	
Mean dependent	6.344649	6.708798	3.750258	0.078160	4.508368	4.671	
S.D. dependent	0.652300	0.572067	0.719009	1.724658	0.122071	0.0822	202

Determinant resid covariance (dof adj.)

3.98 E-17

Determinant resid covariance	7.32E-20
Log likelihood	270.3417
Akaike information criterion	-19.23417
Schwarz criterion	-15.35082